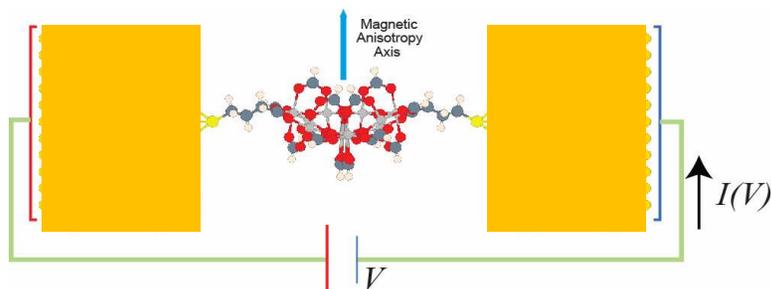


First-principles study of electronic transport through the single-molecule magnet Mn_{12}

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Victor Garcia-Suarez (Lancaster, UK)

Supported by NSF and Jeffress Memorial Trust Fund

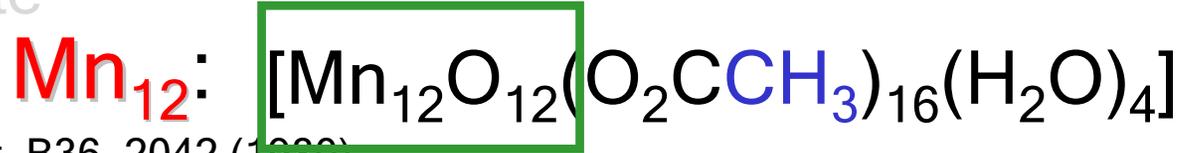
NCSA clusters, Virginia Tech clusters



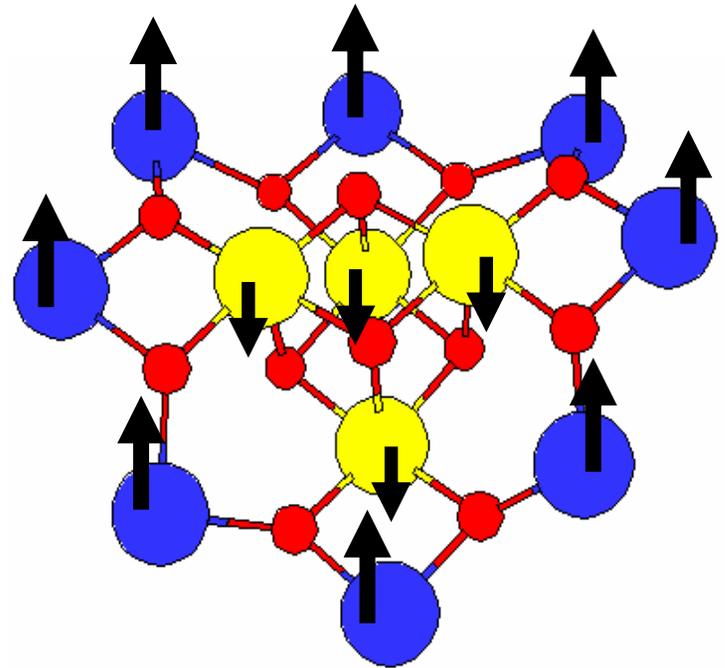
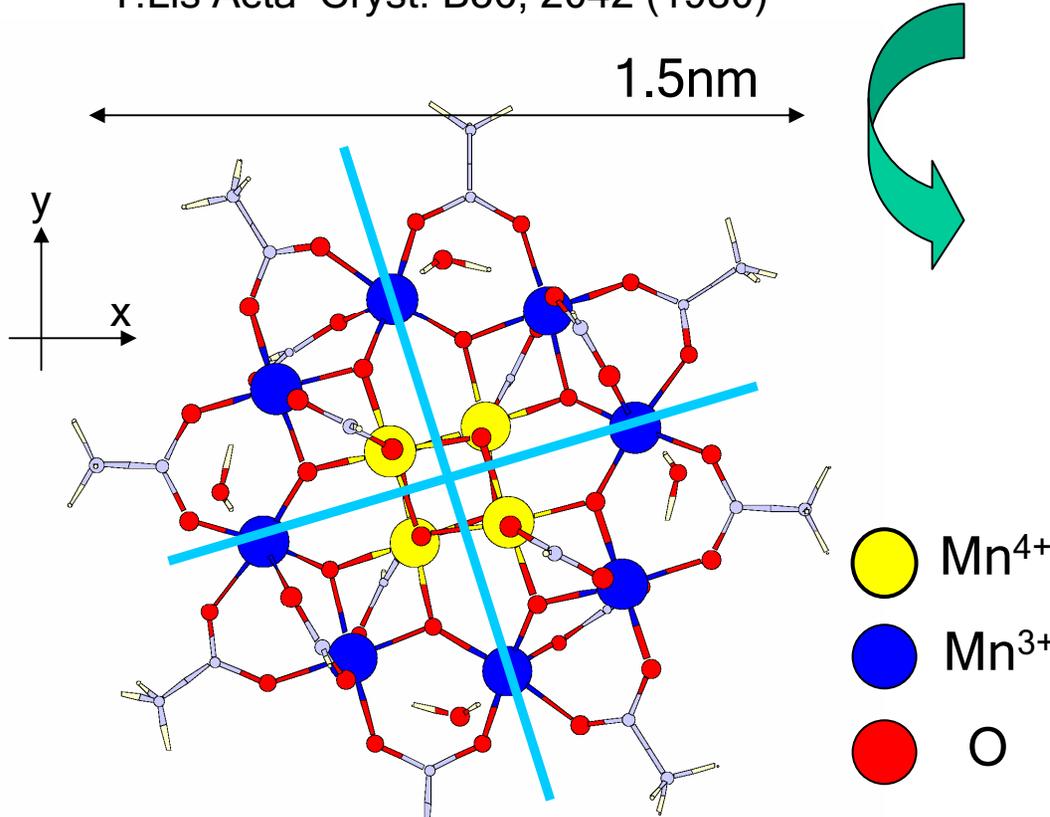
Outline

- Structure and properties of single-molecule magnet (SMM) Mn_{12}
- Motivation
- Model and method for transport calculations
- Spin filtering effect
- Dependence of charge distribution and magnetic anisotropy on local environments
- Locally charged vs free-electron added Mn_{12}
- Conclusion

Mn12-acetate



T.Lis Acta Cryst. B36, 2042 (1980)



- Single molecule: **S₄ symmetry**
- 4 Mn⁴⁺ (3d³, S=3/2) ions in cube
- 8 Mn³⁺ (3d⁴, S=2) ions in outer crown
- Easy axis: z axis

• Total **ground-state** spin:
 $S = 8 \times 2 - 4 \times 3/2 = 10$

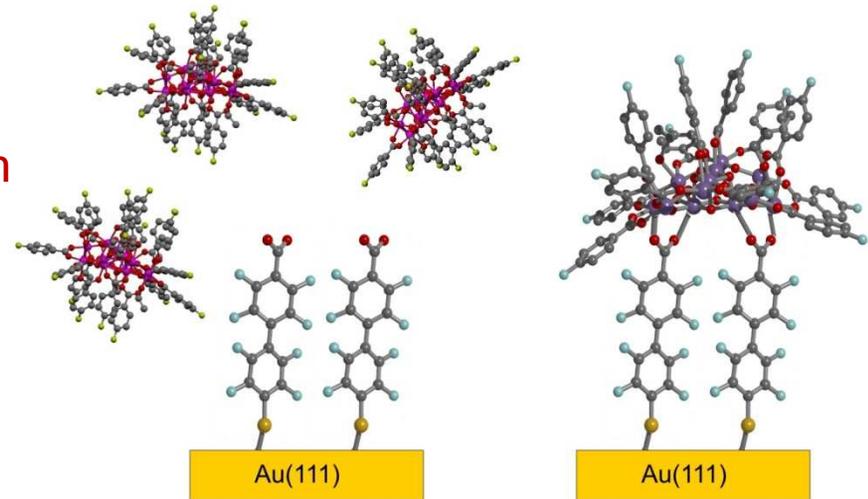
• Magnetic anisotropy barrier
= **65 K** [A.L. Barra et al., PRB 56, 8192 (1997); S. Hill et al., PRL 80, 2453 (1998)]

Motivation: device applications

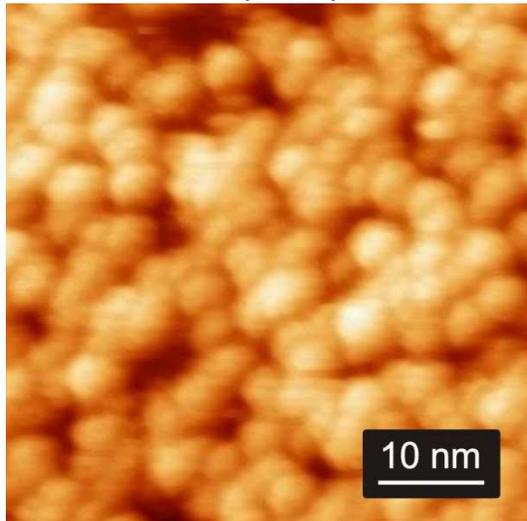
- Deposition of SMMs on surfaces

Zobbi et al, Chem. Comm. (2005); Mannini et al., Nature materials (2009)

- Voss, Fonin, Rudiger, Bergert, Groth (Univ. of Konstanz, Germany): Deposition via ligand exchange reaction allows the reliable and fully reproducible formation of Mn_{12} monolayers.



STM image of intact Mn_{12} -th molecules on functionalized Au(111): S. Voss et al.



- Magnetic measurement: Properties of Mn_{12} monolayers differ from those of bulk

Naitabdi et al., Adv. Mater. 17. 1612 (2005)

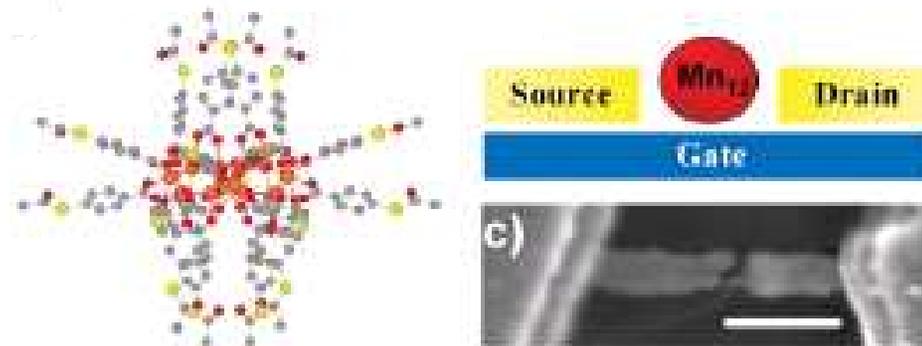
Salman et al., Nano Lett. (2007)

- XAS & Photoemission spectra on Mn_{12} monolayers: Mn_{12} d orbitals in valence bands are similar to those for bulk Mn_{12}

del Pennino et al., Surf. Sci. (2006); Voss et al., PRB (2007)

Motivation: device applications

- Electronic transport measurements through SMM Mn_{12}



H. B. Heersche et al., PRL 96, 206801 (2006)

-M. H. Jo et al., Nano Lett 6, 2014 (2006)

-J. J. Henderson et al., J. Appl. Phys. (2007)

- Theories on transport through SMM:

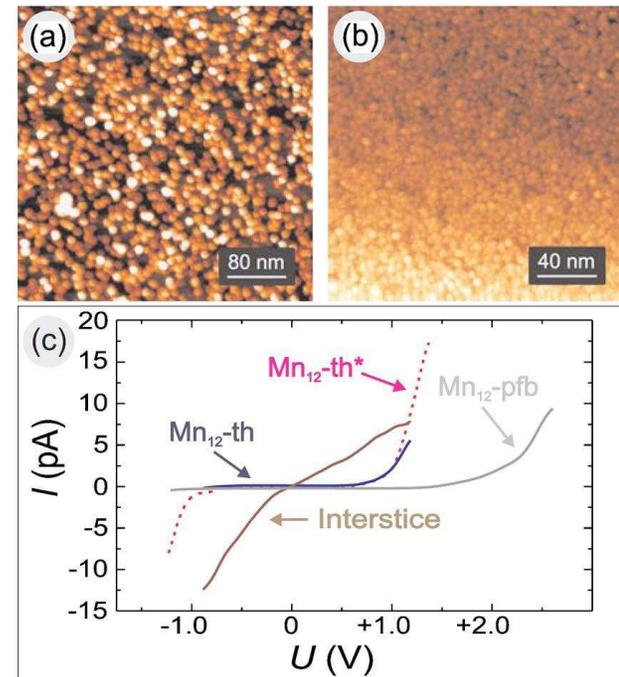
- G.H. Kim and T.S. Kim, PRL 92, 137203 (2004).

- C. Romeike et al. PRL 96, 196805 (2006)

- Elste and Timm, PRB (2005), PRB (2006)

- Leuenberger and Mucciolo, PRL 97, 126601 (2006).

- L. Michalak et al., arXiv:0812.1058 (2008).

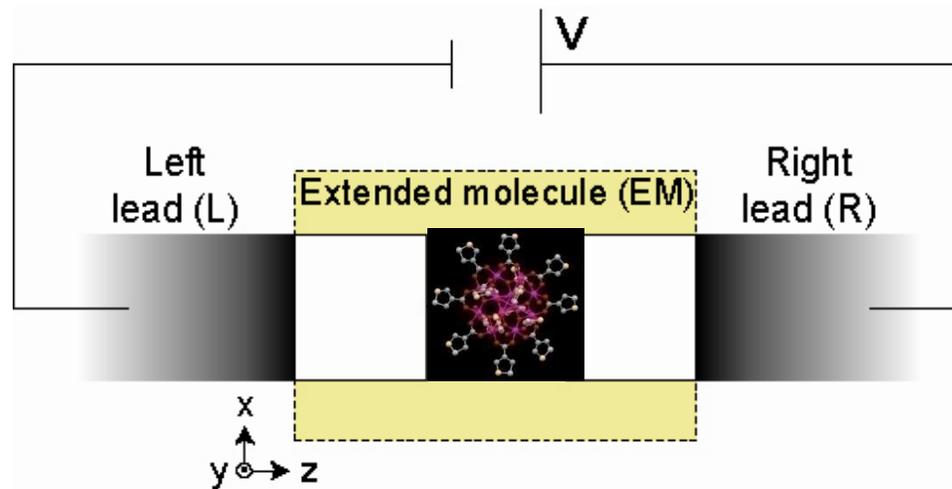


S. Voss et al, Appl. Phys. Lett. (2007)

**No first-principles
calculations on SMMs
bridged between
electrodes**

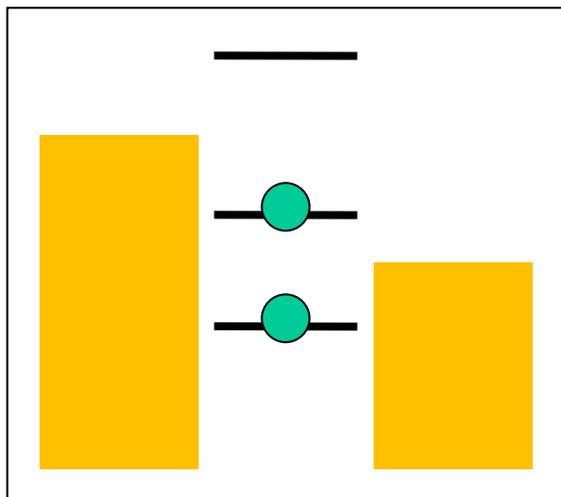
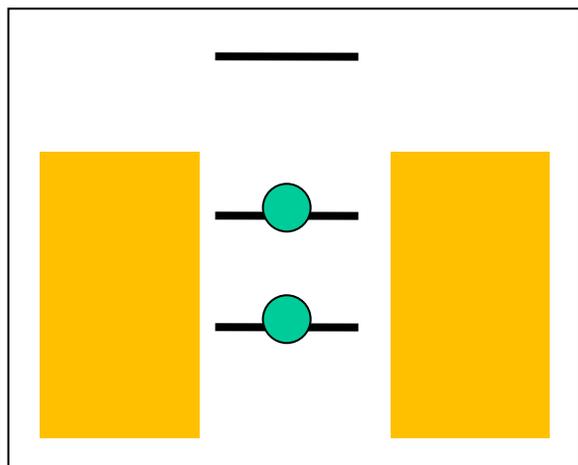
Why electronic transport through Mn12?

In comparison to other organic molecules



- Magnetic anisotropy barrier substantially changes with extra electrons [KP & M. Pederson, PRB 70, 054414 (2004)]
- Spin filtering effect with low bias [S. Barraza-Lopez, KP, Garcia-Suarez, J. Ferrer, JAP 105, 07E309 (2009).]
- Strong dependence of charge distribution and magnetic anisotropy on molecular geometries and interfaces
- Magnetic quantum tunneling may affect transport

Model & Method: Electron transport



- **Model:** steady-state algorithms [Rocha et al., PRB 73, 085414 (2006)]

- Assumptions:

(1) Despite a possible transient state, a steady state is eventually achieved.

(2) In non-zero bias voltage, a current can be obtained from the methodology used in ground-state density-functional theory.

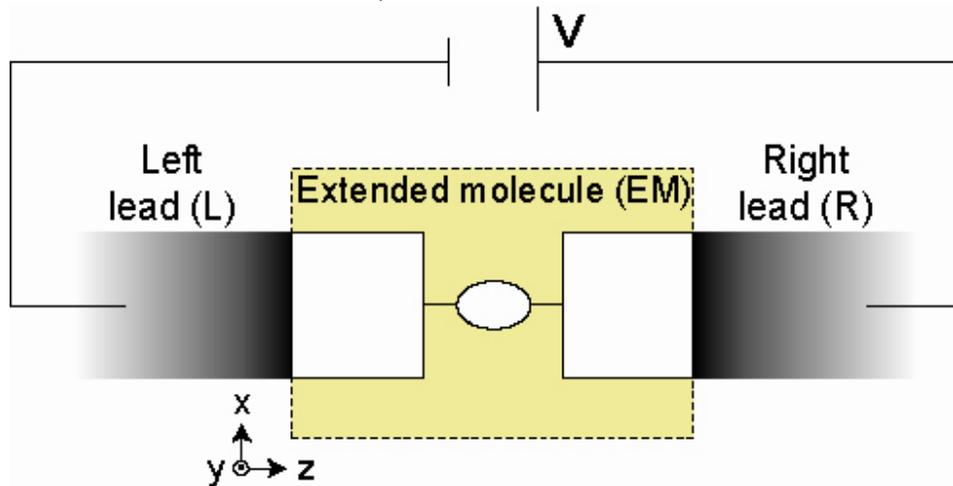
(3) No interactions with phonons

(4) No additional electron correlation effect such as Hubbard-like U term.

- **Method:** Non-equilibrium Green's function method + Spin polarized density-functional theory

Model & Method: Electron transport

- Semi-infinite leads + scattering region (part of the leads and the molecule, called extended molecule)



- Leads are treated as **semi-infinite** systems

$$[\epsilon \mathbf{S} - \mathbf{H}] \mathbf{G}(E) = \mathbf{I}$$

Green's function of EM: $\mathbf{G}_M(E) = [\epsilon \mathbf{S}_M - \mathbf{H}_M - \Sigma_L(E) - \Sigma_R(E)]^{-1}$

Transmission coefficient: $T(E, V) = \Gamma_L(E, V) \mathbf{G}_M^\dagger(E, V) \Gamma_R(E, V) \mathbf{G}_M(E, V)$

$$\text{Current} = (e/h) \int T(E, V) [f(E - \mu_L) - f(E - \mu_R)]$$

We solve Green's function of EM self-consistently using DFT

Q1: Can NEGF+DFT correctly describe electronic transport of many-body systems?

Q2: If so, then to what extent?

- (1) When molecules are **strongly** coupled to leads:
 - Charging energy is smaller than orbital level broadening
 - Orbital levels are greatly broadened due to interaction with the leads
 - DFT describes the transport quite well (overestimated currents).
 - e.g. Au-benzene-Au , Quantum point contact

- (2) When molecules are **weakly** coupled to leads:
 - Charging energy is greater than orbital level broadening.
 - Coulomb blockade effect
 - DFT does not quite work.
 - Use many-body model Hamiltonian
 - e.g. Au-SMM Mn12-Au

This is not the end of the story!!

- Orbital level broadening
- Transmission coefficient peak positions (with inclusion of U)
- Effect of environmental factors
- Spin filtering effect
- Effect of spin-orbit coupling

Complementary to many-body model
Hamiltonian approach even in the weak
coupling regime

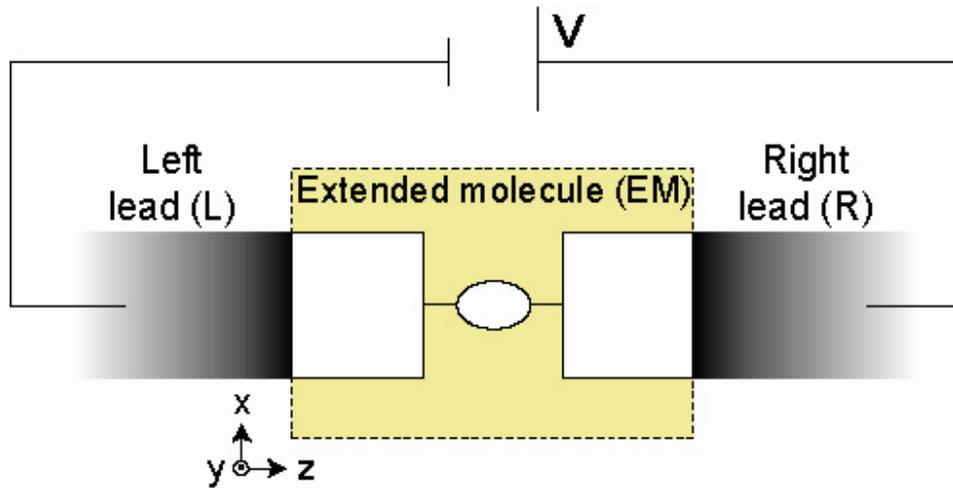
Focus on zero-bias, without
spin-orbit coupling in this talk

Method: Electron transport

- Method: Nonequilibrium Green's function method + DFT
- SIESTA-based quantum transport code, **SMEAGOL** (spin-orbit interaction included) developed by Ferrer and Garcia-Suarez [A. R. Rocha et al., PRB (2006); L. Fernandez-Seivane et al., J. Phys.: Condens. Matt. (2006)] <http://www.smeagol.tcd.ie>
- PBE GGA for exchange-correlation potential
- Generated pseudopotentials and basis sets for Au, Mn, S, O, C, H.
- Tested pseudopotentials and basis sets on bulk Au and isolated Mn₁₂ molecules.
- Bulk Au: checked band structure
- Isolated Mn₁₂ molecule: obtained 65.3 K for magnetic anisotropy barrier of Mn₁₂ using our generated basis sets and pseudopotentials. (c.f. VASP result: 66.7 K) Self-consistent calculations including all orders

Method: Electron transport

- First, compute self-energies of bulk Au leads.



- Leads are treated as **semi-infinite** systems

Green's function of EM: $G_M(E) = [\varepsilon S_M - H_M - \Sigma_L(E) - \Sigma_R(E)]^{-1}$

Transmission coefficient: $T(E, V) = \Gamma_L(E, V) G_M^\dagger(E, V) \Gamma_R(E, V) G_M(E, V)$

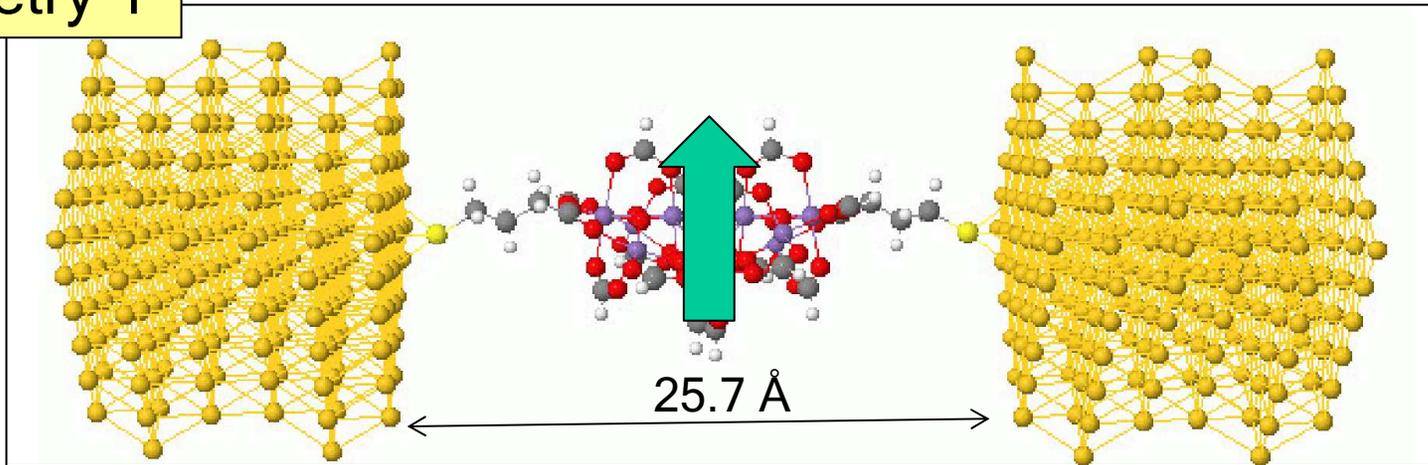
$$\text{Current} = (e/h) \int T(E, V) [f(E - \mu_L) - f(E - \mu_R)]$$

Extended molecule (EM) geometry

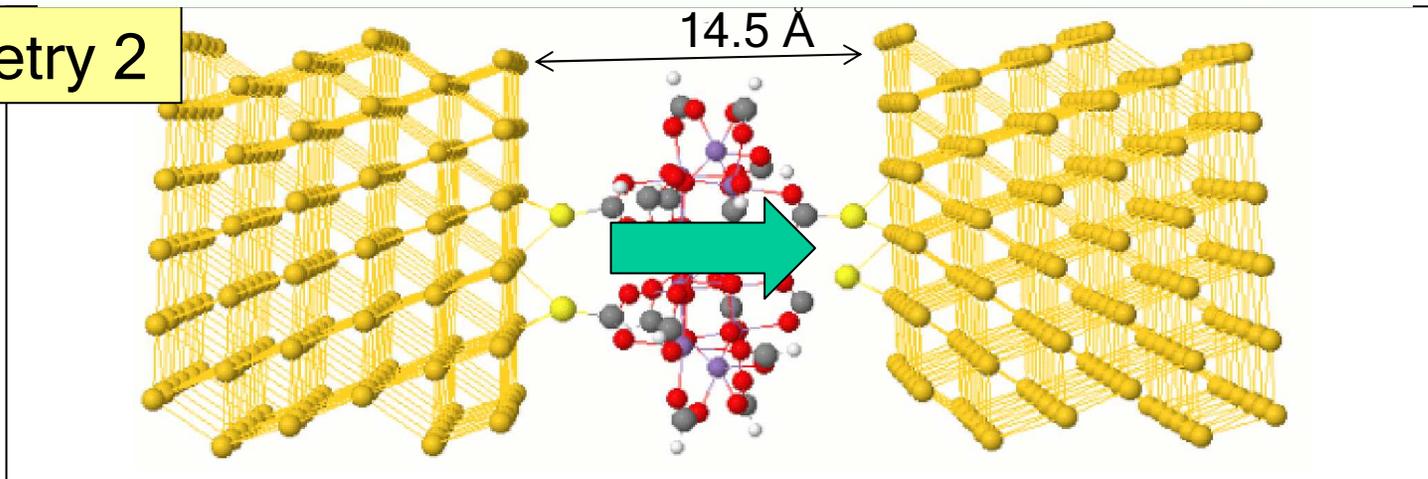
Scattering region

- Two geometries relative to electrodes

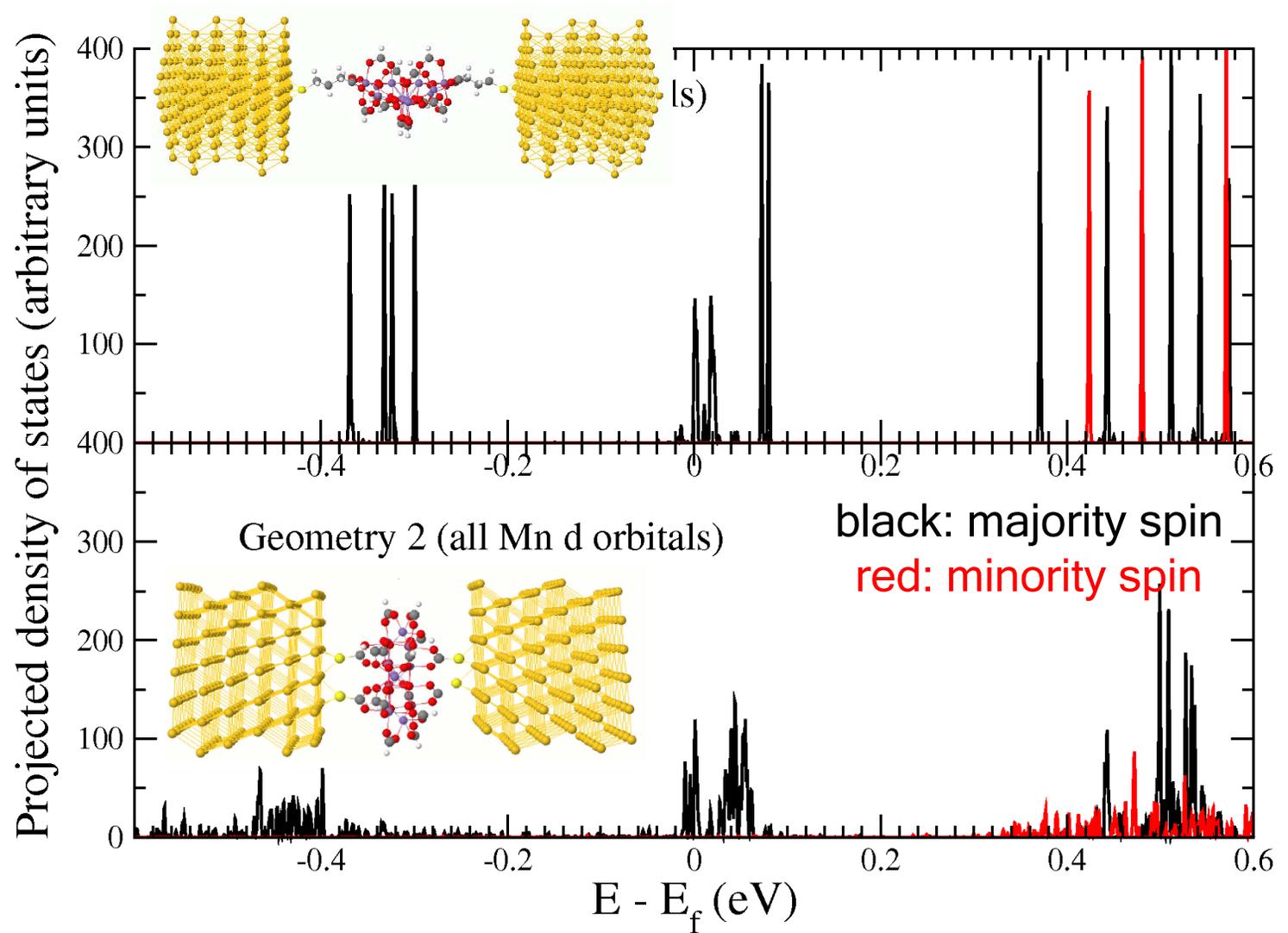
Geometry 1



Geometry 2



Density of states projected on Mn d orbitals

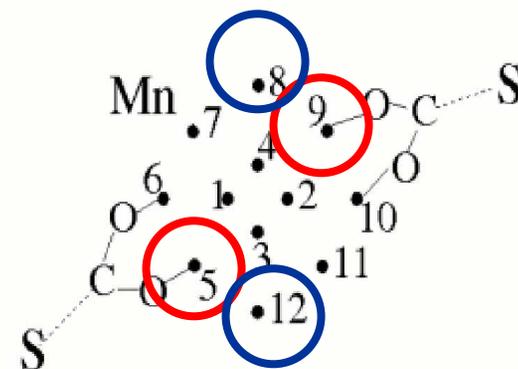
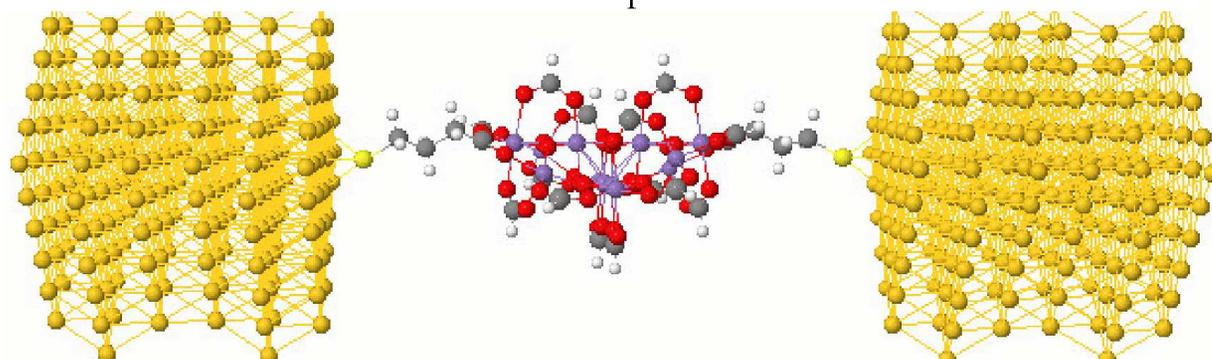
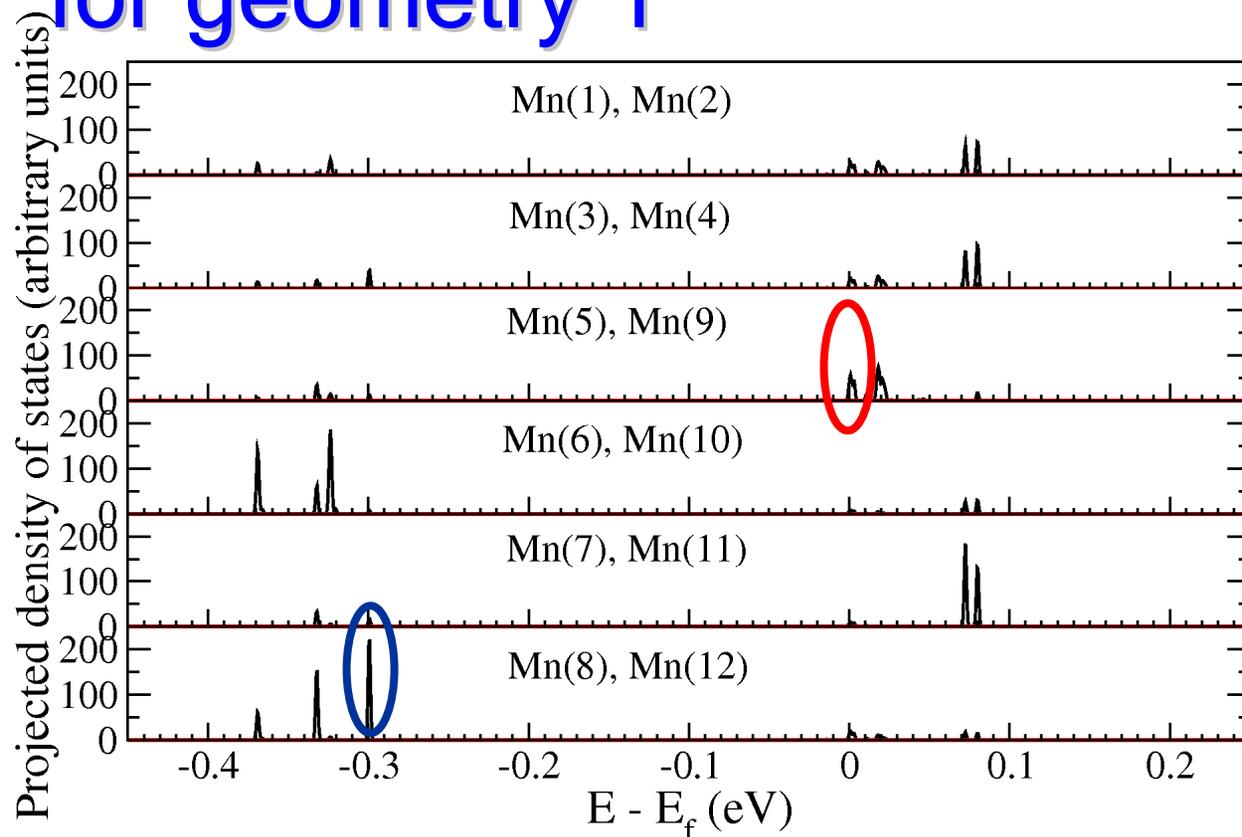


Density of states projected on Mn d orbitals for geometry 1

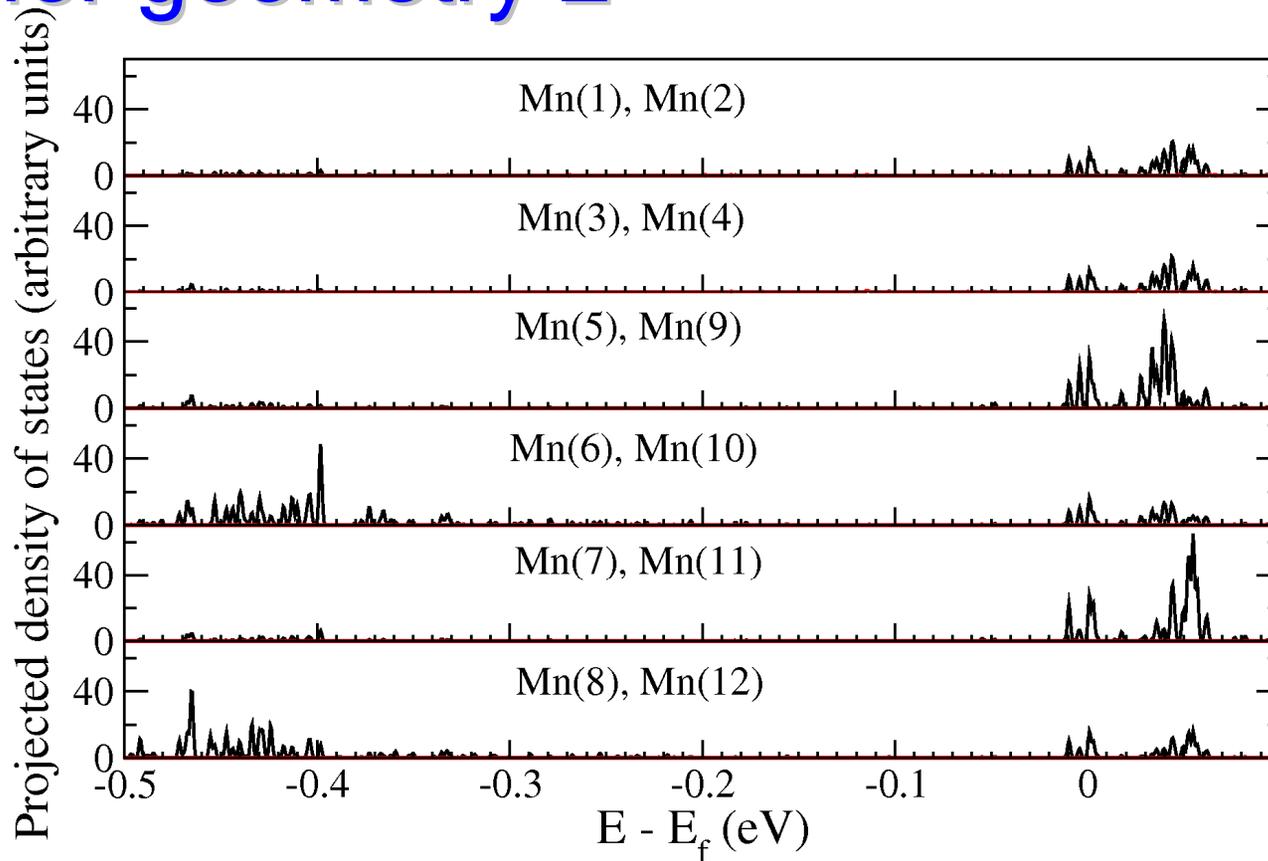
- Minority-spin DOS is zero near Fermi level
- Charge distribution is mostly over Mn(5) and Mn(9).

LUMO

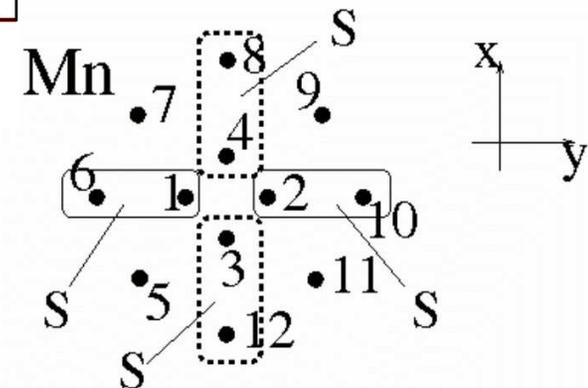
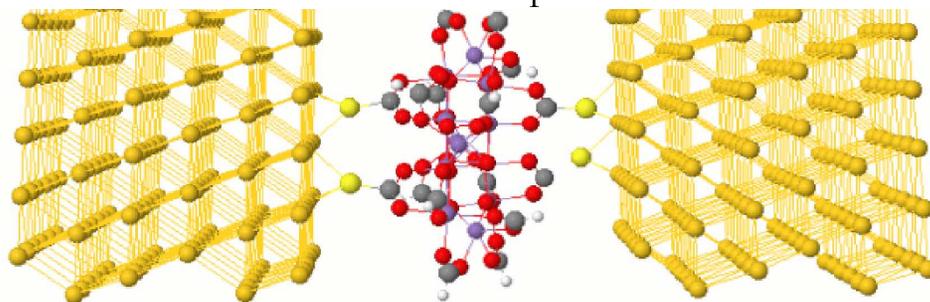
HOMO



Density of states projected on Mn d orbitals for geometry 2

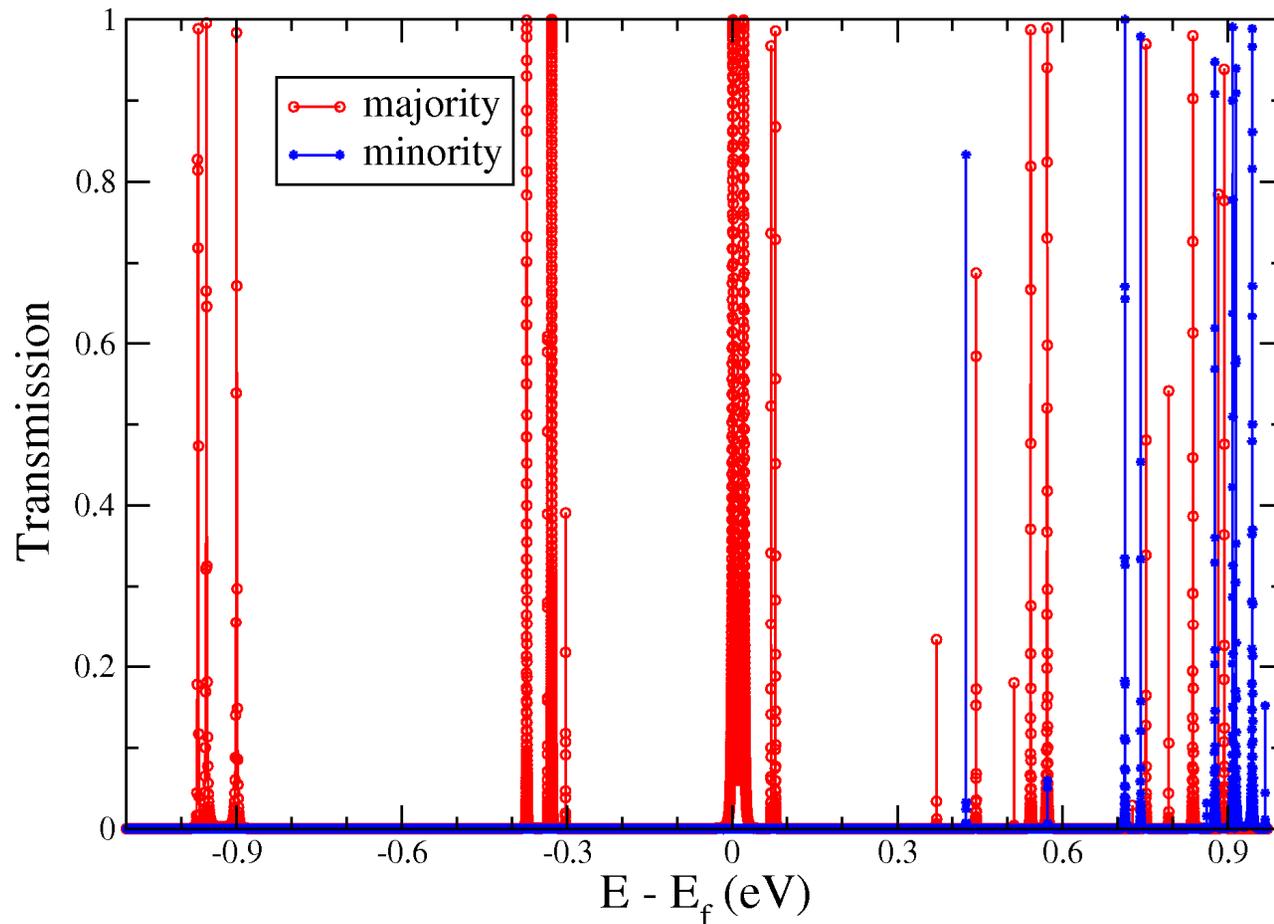


- Minority-spin contribution near Fermi level is zero
- **Charge distribution is over all Mn ions**
- Broadening of orbitals: ~ 0.01 eV



**Strong dependence of charge
distribution on molecular geometries
and interfaces**

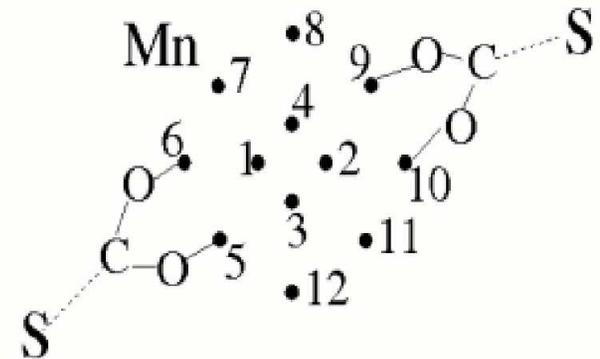
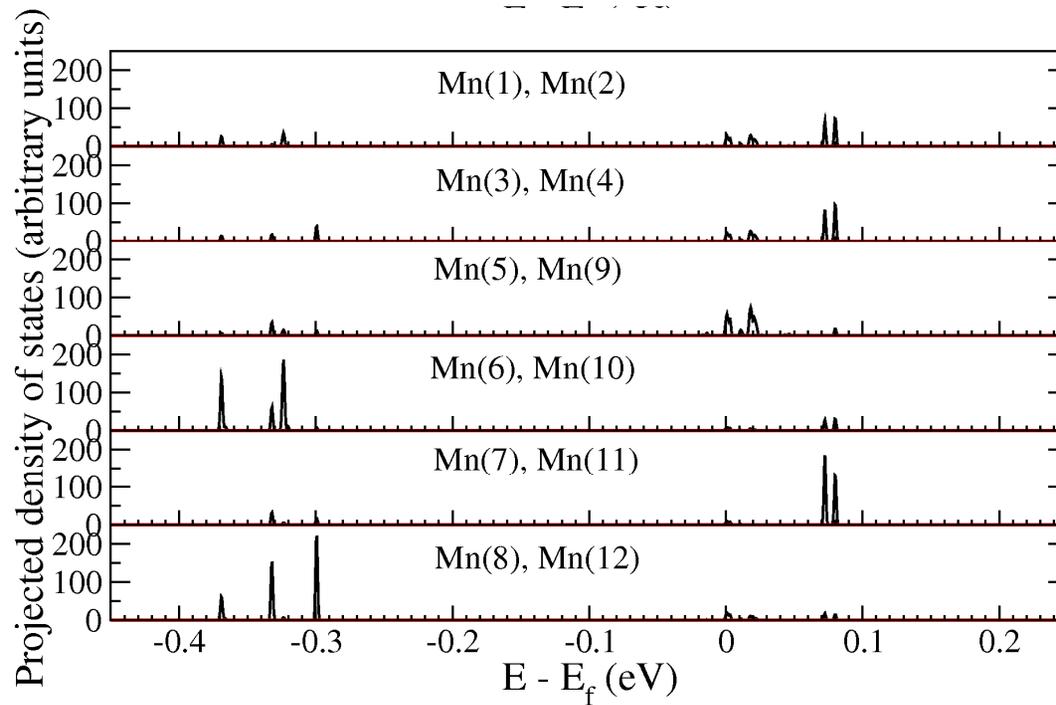
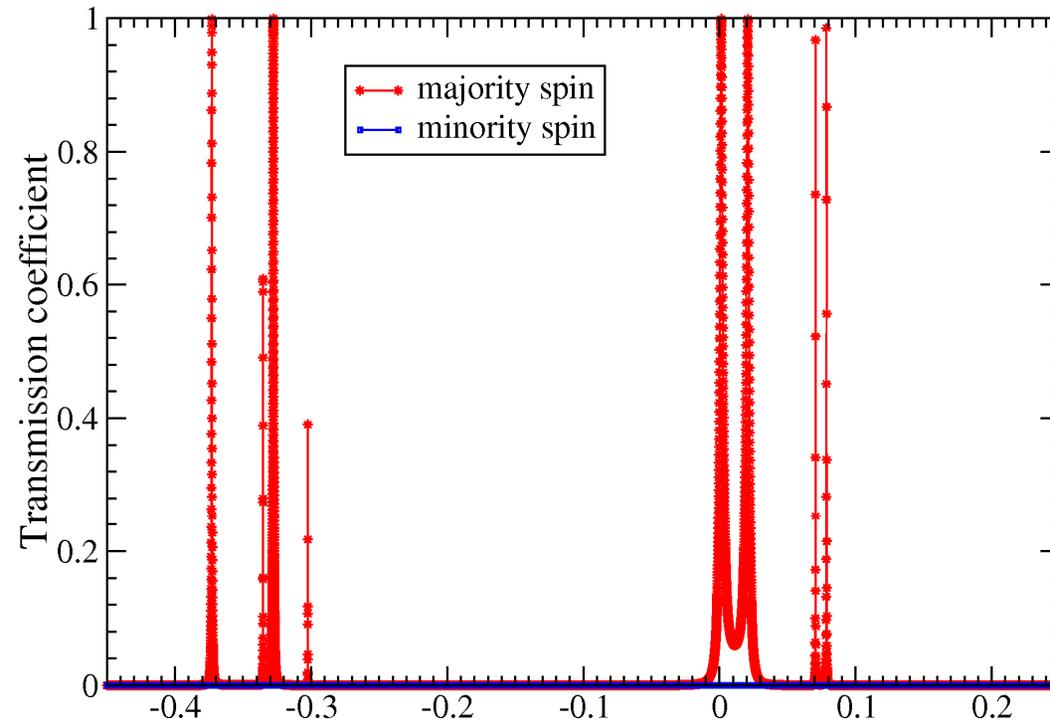
Transmission coefficient for geometry 1



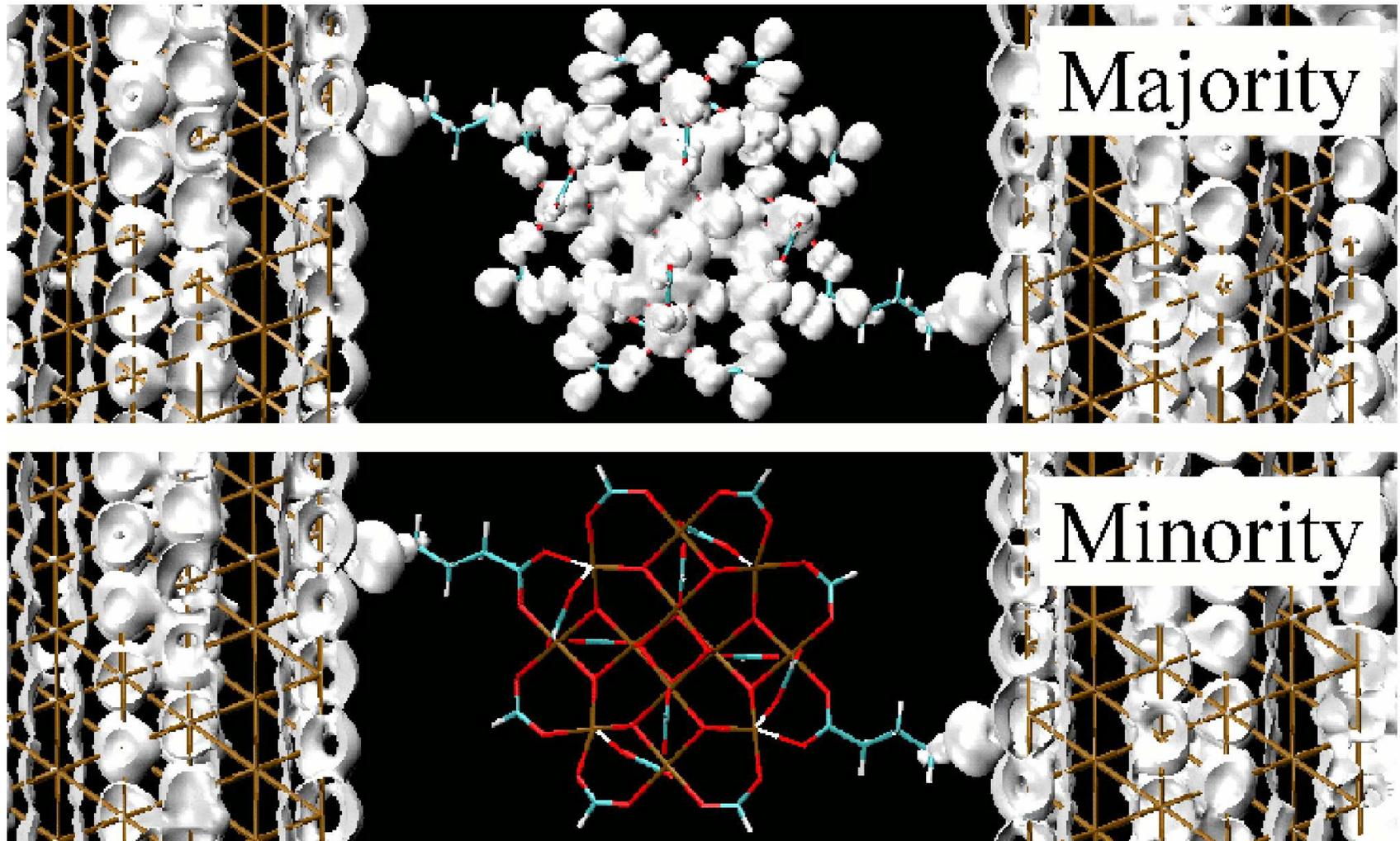
- **Very sharp peaks** due to weak coupling
- Only majority-spin TC near Fermi level: **spin filtering**
- LUMO is responsible for tunneling near Fermi level

Transmission coefficient & PDOS for geometry 1

- One-to-one mapping between transmission peaks and Mn d orbital levels



Spatially resolved DOS for geometry 1



Integrated over $(-0.23, 0.16 \text{ eV})$

Additional inclusion of electron-electron correlations: DFT+U method

- Takes into account the orbital dependence of strong on-site correlations (in LSDA or in GGA), which is absent in standard DFT.
- Hubbard-like U term plays important role for localized d- or f-electrons.
- d- or f-orbitals are more localized and energy gap increases.
- Value of U term: depends on local environments, determined by experiment or standard DFT calculations by varying the occupancy of d- or f-orbitals.

V. I. Anisimov et al., PRB 44, 943 (1991)

V. I. Anisimov et al., J. Phys.: Condens. Matter 9, 767 (1997)

Effect of correlations: GGA+U on Mn₁₂

- Isolated Mn₁₂: HOMO levels are shifted down. HOMO-LUMO gap greatly increases due to HOMO and LUMO that are from Mn d-orbitals.
- When an extra electron is added, majority-spin orbitals are still well separated from minority-spin orbitals.
- Spin-filtering effect persists with inclusion of additional electron correlations

Electronic level (eV)	U=4 eV *		PBE GGA	
	↑	↓	↑	↓
Mn ₁₂ HOMO	-5.80	-7.04	-5.08	-6.45
Mn ₁₂ LUMO	-4.72	-4.57	-4.84	-4.50
gap	1.08		0.24	

S. Barraza-Lopez, M. C. Avery, KP,
JAP 103, 07B907 (2008)

(*) Boukhvalov et al, *PRB* 75, 014419 (2007)

Spin-filtering effect in Mn₁₂ transport remains robust with different molecular geometries, interfaces, and strong electron correlations.

Magnetic anisotropy change

- Compute magnetic anisotropy barrier (MAB) by including spin-orbit coupling self-consistently
- MAB for neutral Mn_{12} : 66.4 K (VASP), 65.3 K (SIESTA)
- MAB when a free electron is added to Mn_{12} : 56.4 K (VASP), 53 K (SIESTA)
- MAB when a free electron is added to HS-alkane- Mn_{12} -alkane-SH: 38 K (SIESTA)
- **MAB significantly depends on local environments.**
(Broken symmetry due to the link molecules caused the decrease.)

Locally charged Mn_{12} (by adding electron donors) vs when an extra free electron is added to Mn_{12}

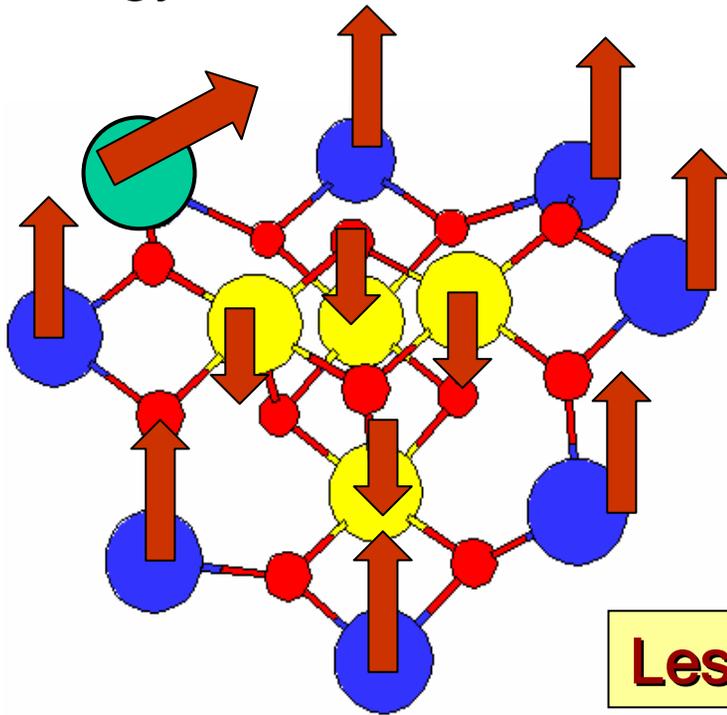
Locally charged Mn_{12} : $[\text{Mn}_{12}]^{1-}$

- Experimental realization: $[\text{PPh}_4][\text{Mn}_{12}]$.
 - Eppley et al., JACS 117, 301 (1995) (magnetization); Basler et al., Inorg. Chem. 44, 649 (2005) (inelastic neutron scattering)
 - Valence bond sum analysis:
 - Only one Mn^{3+} ($S=2$) \rightarrow Mn^{2+} ($S=5/2$)
 - [In this sense, locally charged]
 - Ground-state spin: $S=19/2$
 - Frequently referred by theoretical transport studies based on model Hamiltonians as $S = 10 - 1/2 = 19/2$

This looks contradictory to spin-filtering effect.

Locally charged Mn_{12} : $[\text{Mn}_{12}]^{1-}$

- Consider neutral Mn_{11}Fe and noncollinear DFT calculations using GGA+U
- Collinear state of $2S=19$ [$\text{Fe}^{3+}(S=5/2)$] has 0.1 eV higher energy than collinear state of $2S=21$



- Collinear state of $2S=21$ has 5.8 meV higher energy than noncollinear state of $2S=18.71$ with magnetic moment vector of $\text{Fe}^{3+}(S=5/2)$ tilted from z axis

Lesson 1: $S=19/2$ is not from $S=10 - 1/2$

When a free electron is added to Mn_{12}

- The extra free electron will be **distributed over several Mn ions** instead of being localized at one Mn site
- The distribution depends on the way that the Mn_{12} is attached to the electrodes (geometry 1 vs geometry 2)
- Noncollinear calculations show that collinear state of $S=21/2$ is the ground state

Lesson 2: Locally charged Mn_{12} does not simulate Mn_{12} in transport.

- Spin-filtering effect is compatible with experimental observation of $S=19/2$.

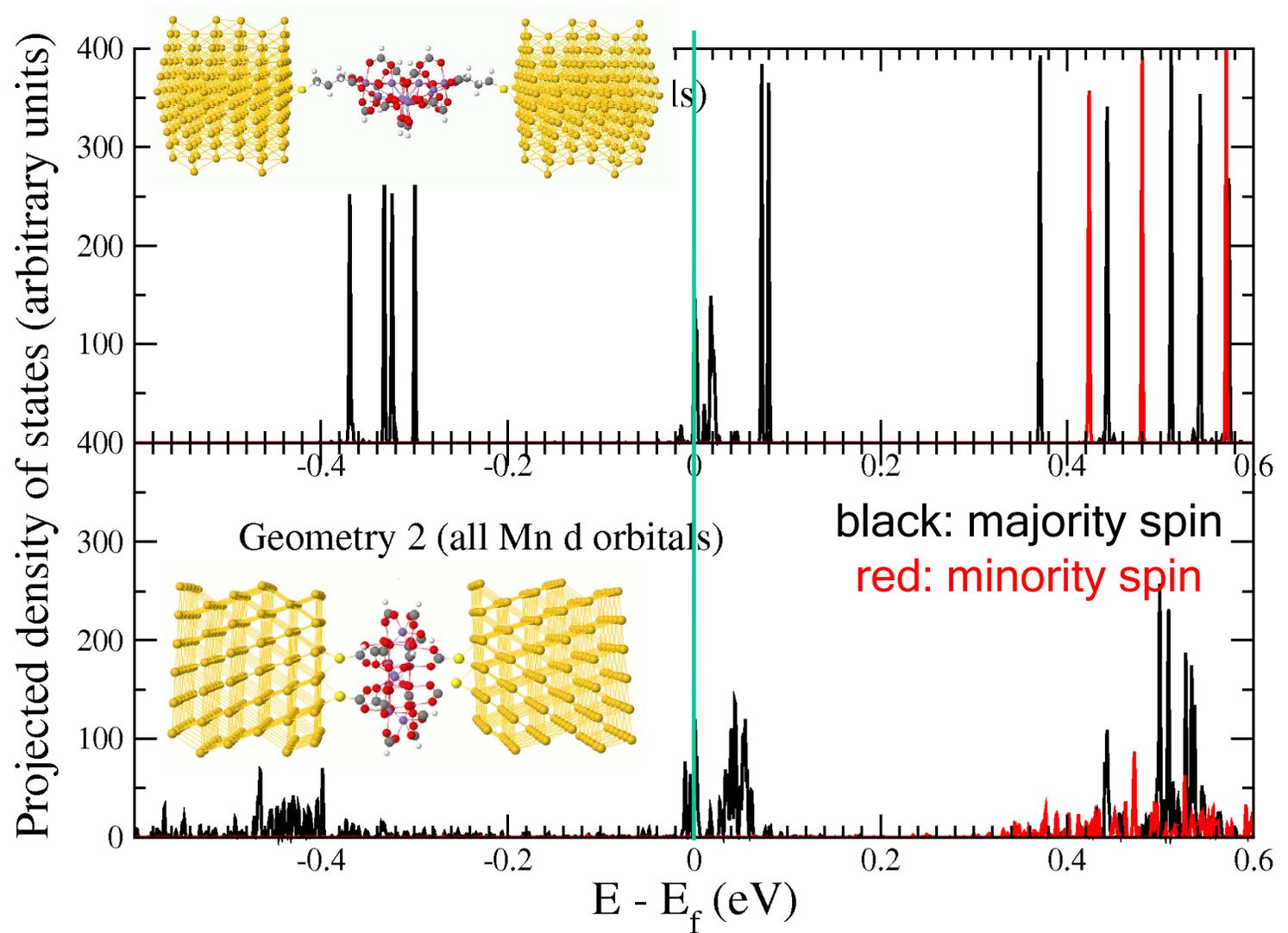
Summary

- Modeled electron transport through a Mn_{12} molecule bridged between Au electrodes using NEGF and DFT
- Sharp transmission coefficient peaks due to weak coupling
- LUMO is responsible for the transport near the Fermi level.
- Spin-filtering effect remains robust with molecular geometries, interfaces, and additional electron correlations
- Strong dependence of charge distribution and magnetic anisotropy on molecular geometries and interfaces
- Qualitative difference between locally charged Mn_{12} and Mn_{12} in transport.

Happy 60th Birthday, Eugene!!!!



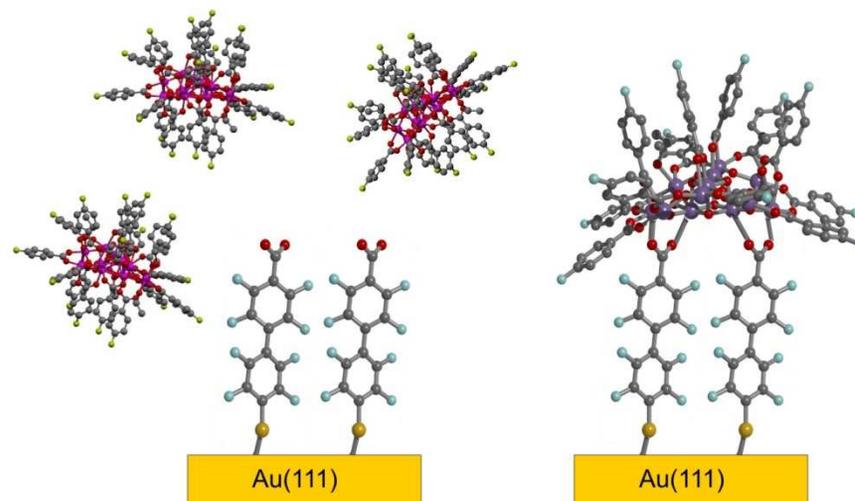
Density of states projected on Mn d orbitals



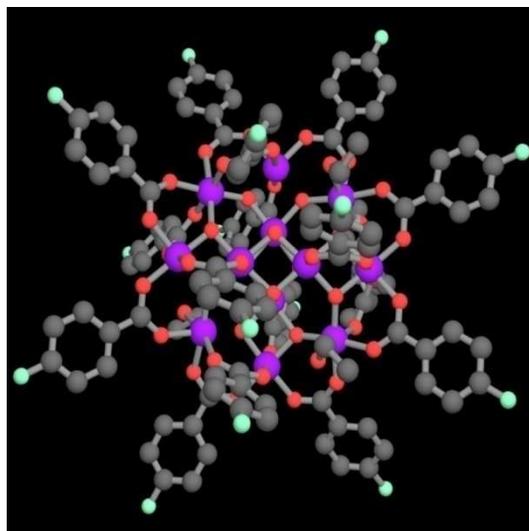
From S. Voss, M. Fonin, U. Rudiger, M. Burgert, and U. Groth

Concept of the ligand exchange reaction:

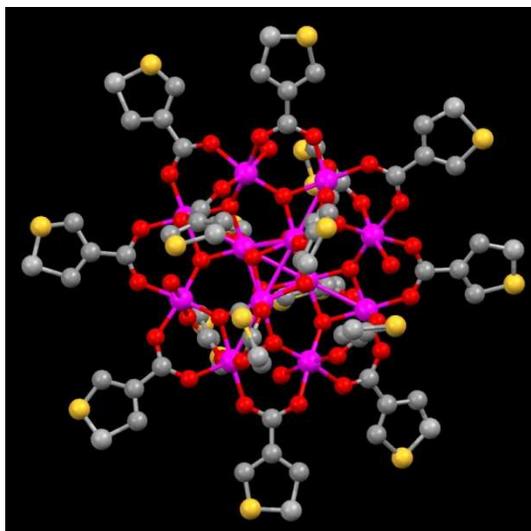
We found that only the deposition via ligand exchange reaction allows the reliable and fully reproducible formation of Mn12 monolayers.



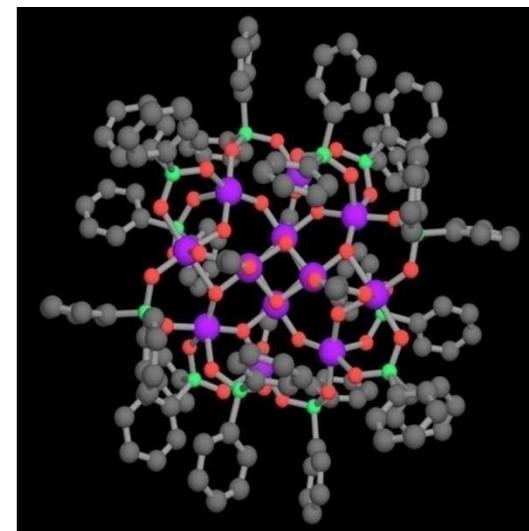
Molecules successfully deposited on functionalized Au(111):



$\text{Mn}_{12}\text{O}_{12}(\text{O}_2\text{CC}_6\text{H}_4\text{F})_{16}(\text{EtOH})_4$
(Mn12-parafluorobenzoate; Mn12-pfb)



$\text{Mn}_{12}\text{O}_{12}(\text{O}_2\text{CC}_4\text{H}_3\text{S})_{16}(\text{H}_2\text{O})_4$
Mn12-thiophene-carboxylate; Mn12-th



$\text{Mn}_{12}\text{O}_{12}(\text{O}_2\text{PC}_{12}\text{H}_{10})_{12}(\text{O}_2\text{CCH}_3)_4(\text{H}_2\text{O})_4$
Mn12-phosphinate; Mn12-phn